

On Understanding Emergence In the Context of System Safety

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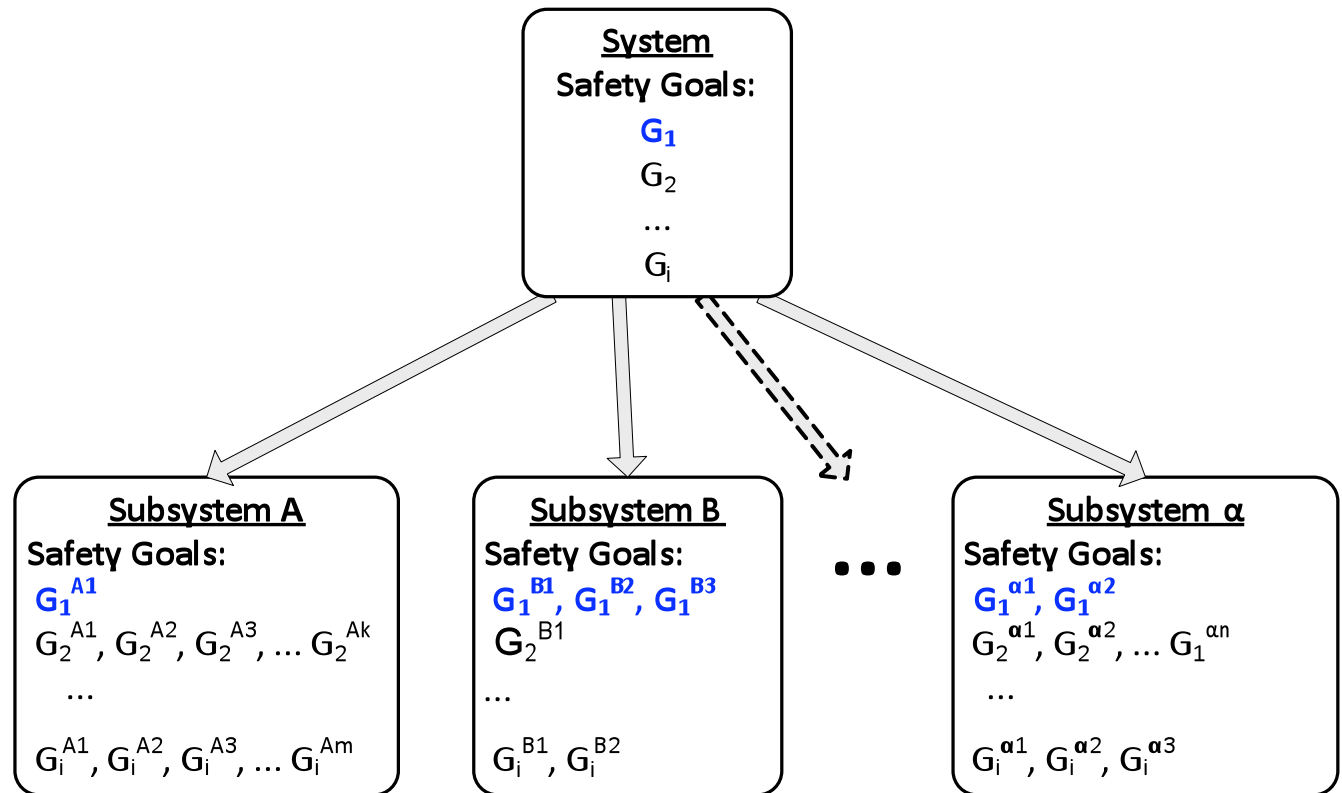
(Based on thesis work of Jen Black – DSN 2009 paper)

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Motivation

- Want to decompose safety critical functions to subsystems
 - Increases chance of system integration success
 - Permits testing for safety before system integration
 - Example: vehicle has subsystems from many suppliers
- But, safety is emergent
 - Loosely: examination of individual components doesn't completely predict safety
- Research topic (Jen Black DSN 2009 paper & thesis):
 - Decomposition of emergent properties is undecidable
 - Can we do something useful in the non-worst-case?

How do We Decompose Safety?



- $G_1^{A1} \wedge G_1^{B1} \wedge G_1^{B2} \wedge G_1^{B3} \wedge \dots G_1^{\alpha1} \wedge G_1^{\alpha2} \Leftrightarrow G$
 - Can this be done? Where does emergence fit in?
 - Is partial decomposition possible? Is it useful?

Definitions: Fully Composable, Emergent

- G is **fully composable** if:

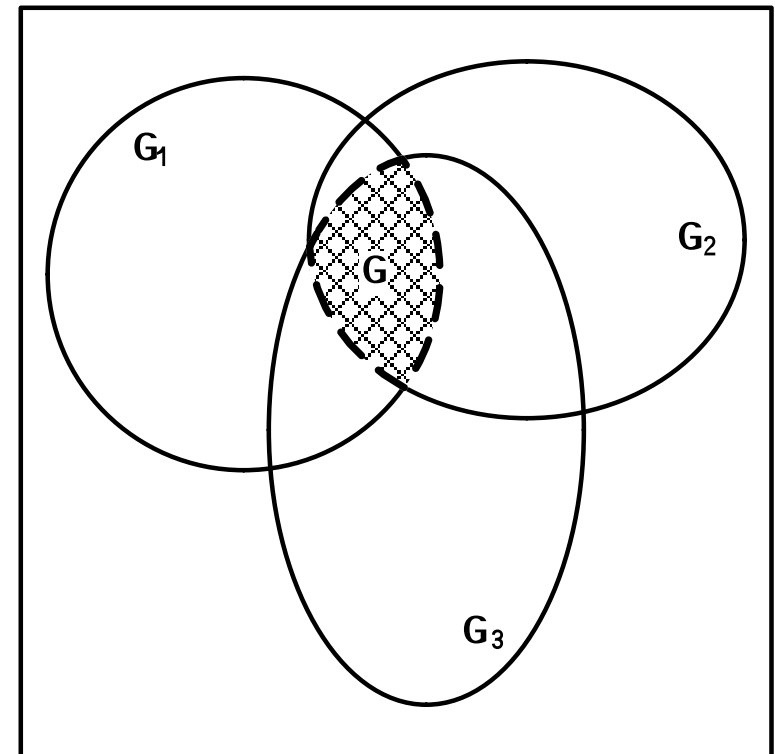
$\exists \{G_1, G_2, \dots, G_n\}$ such that:

$$G_1 \wedge G_2 \dots \wedge G_n \Leftrightarrow G$$

which can also be expressed as:

$$(G_1 \wedge G_2 \dots \wedge G_n \Rightarrow G)$$

$$\wedge (\neg G_1 \vee \neg G_2 \dots \vee \neg G_n \Rightarrow \neg G)$$



Example goal: $ObjectInPath \Rightarrow StopVehicle$

Subgoals: $(ObjectInPath \Leftrightarrow CA.StopVehicle) \wedge (CA.StopVehicle \Rightarrow StopVehicle)$

detector subsystem

brake subsystem

- G is **Emergent** if no such set of subgoals exists

Emergent but Partially Composable

- **G is partially composable if:**

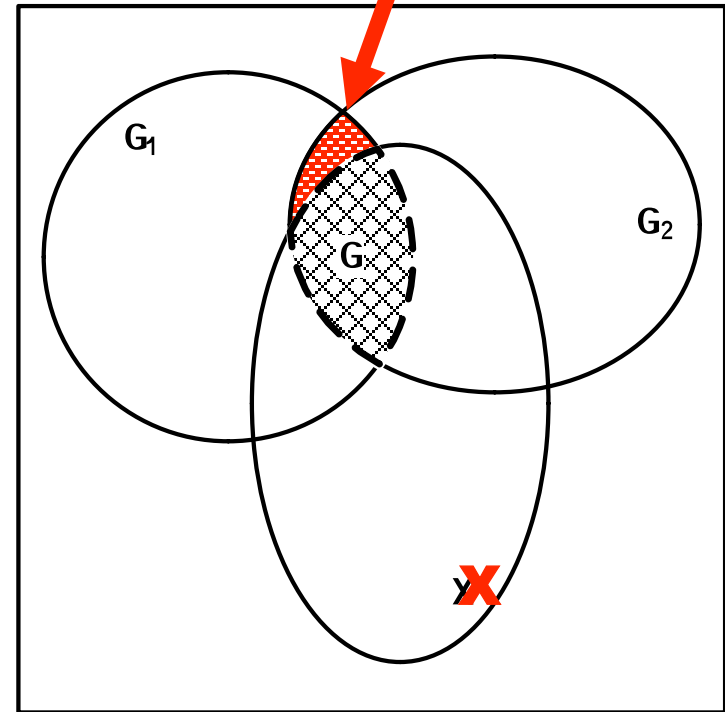
$\exists \{G_1, G_2, \dots, G_m\}, \mathbf{X}$ (emergence)
such that:

$$G_1 \wedge G_2 \dots \wedge G_m \wedge \mathbf{X} \Leftrightarrow G$$

which can also be expressed as:

$$(G_1 \wedge G_2 \dots \wedge G_m \wedge \mathbf{X} \Rightarrow G)$$

$$\wedge (\neg G_1 \vee \neg G_2 \dots \vee \neg G_m \vee \neg \mathbf{X} \Rightarrow \neg G)$$



- **Composability** is the degree to which **X** is small

The Key Idea

- Functional correctness is about doing the right thing:

$$(G_1 \wedge G_2 \dots \wedge G_n \wedge \mathbf{X} \Rightarrow G)$$

- Over-approximating any G_i is OK
- If you are missing any sub-goal \mathbf{X} , you don't achieve G
- BUT, safety is often about not doing the wrong thing:
$$(\neg G_1 \vee \neg G_2 \dots \vee \neg G_n \wedge \neg \mathbf{X} \Rightarrow \neg G)$$
 - Identifying any of the subgoals can be useful
 - Under-approximating $\neg G$ still increases safety, even without \mathbf{X}
- Results: Identifying only some subgoals seems helpful
 - Monitoring sub-goals at run-time; process of finding subgoals too
 - Found 11 safety-critical design defects on research vehicle model